

### **Department of Chemistry**

Program: BSc III Inorganic Chemistry (CH-501)

#### **SCHEME**

Course	Inorganic Chemistry		Course Type	Theory	
Name					
Course Code	е СН-501		Class	BSc V Sem.	
Instruction	Per week Lectures: 2, Tutorial:2, Practical:				
Delivery	Total No. Classes Per Sem: 32(L), (T), -(P) Assessment in Weightage: Sessional (20%), End Term Exams (80%)				
Course	Dr Manish Kumar Course Theory: Dr Manish Kumar			anish Kumar	
Coordinator		Instructors	Practical: D	r Manish Kumar	

#### **COURSE OVERVIEW**

Inorganic chemistry deals with synthesis and behavior of inorganic and organometallic compounds. This field covers chemical compounds that are not carbon-based, which are the subjects of organic chemistry. The distinction between the two disciplines is far from absolute, as there is much overlap in the subdiscipline of organometallic chemistry. It has applications in every aspect of the chemical industry, including catalysis, materials science, pigments, surfactants, coatings, medications, fuels, and agriculture.

#### PREREQUISITE

Inorganic chemistry, Coordination chemistry, magnetic properties and Thermodynamic and kinetic stability

#### **COURSE OBJECTIVE**

The objective of this course is to study the bonding between the different metals with carbon atom of various organic groups. It also helps in study of metal carbonyls, metal ethylenic complexes: bonding, stability and their reactions.

It reflects the kinetic and thermodynamics stability of the complexes. It makes us understand about stability between different metal complexes with different type of ligands. The objective is to study the importance of different metals complexes and their magnetic properties. It also reflects the study of electronic spectra of different metal complexes.

#### **COURSE OUTCOMES (COs)**

After the completion of the course, the student will be able to:

CO No.	Course Outcomes
1	Remember the bonding in metal and different type of ligands.
2	Remember the Splitting of d-orbitals in octahedral and tetrahedral field.
3	Understand the paramagnetic and diamagnetic nature of metal complexes



Understand the spectra of coordination compounds.

### **COURSE CONTENT**

### Content **Organometallic Chemistry** Metal-ligand Bonding in Transition Metal Complexes Limitations of valence bond theory, an elementary idea of crystal-field theory, crystal field split ting in octahedral, tetrahedral and square planar complexes, factors affecting the crystal-field parameters. **Thermodynamic and Kinetic Aspects of Metal Complexes** A brief outline of thermodynamic stability of metal complexes and factors affecting the stability, substitution reactions of square planar complexes of Pt (II). **Magnetic Properties of Transition Metal Complexes** Types of magnetic behaviour, methods of determining magnetic susceptibility, spin-only formula. L-S coupling, correlation of s and eff values, orbital contribution to magnetic moments, application of magnetic moment data for 3dmetal complexes. **Electron Spectra of Transition Metal Complexes** Types of electronic transitions, selection rules for d-d transitions, spectroscopic

ground states, spectrochemical series. Orgel-energy level diagram for d1 and d9 states, discussion of the electronic spectrum of [Ti(H2O)6]3+ complex ion



### **LESSON PLAN** (THEORY AND TUTORIAL CLASSES)

L. No	Topic to be Delivered	Tutorial Plan	Unit
1	Limitations of VBT and points of CFT	Practice Questions on calculation	
2	Splitting of metal orbitals in octahedral field	of CFSE of metal complexes.	1
3	Splitting of metal orbitals in tetrahedral and square planar complexes		
4	CFSE and spectrochemical series	Practice PYQ on CFT and	
5	Various factors effecting CFSE	spectrochemical series	

6	Revision of structures of d- orbitals		
7	Revision on CFSE	Practice Questions on Factors	1
8	Revision on factors effecting CFSE	effecting CFSE	
9	Thermodynamic stability of metal complexes		
10	Factors effecting Thermodynamic stability	Practice questions on thermodynamic and kinetic	2
11	Kinetic stability of metal complexes	stability	
12	Factors effecting Kinetic stability	Practice questions on trans effect	
13	Inert and labile complexes	of thiourea	
14	Trans effect		
15			
	Polarization theory and pi-		
	bonding theory for trans effect		
16	Type of magnetic behaviour of		3
	substances		
17	Magnetic susceptibility,	Revise type of magnetic	
10	Diamagnetic correction	properties	
18	their graphs		
10			
19	Spin only formula and L-S	Practice PYQ on Curie and Neels	
	coupling	temp.	
20	Correction in spin and orbital		
	effective magnetic moment		
21	Orbital contribution in complexes	Practice orbital contribution of	



22	Application of magnetic	metal complexes.	
	character of 3d elements		
23	Revision of PYQ of curie temp.	Practice questions on calculation	
24	Revision of PYQ of orbital	of mag. moment	
L	contribution		
25	Revision of PYQ on calculation		
1	of magnetic moment of various		
	metals.		
26	Introduction of electronic spectra		4
27	Trans of different of strong is	Learn questions on electronic	
27	I ype of different electronic	spectra and selection rule	
	transitions	1	

	transitions	spectra and selection rule
28	Term symbol and ground state	Learn questions on orgel energy
29	Orgel energy level diagrams of $d^1$ and $d^9$ systems	level diagrams
30	Orgel energy level diagrams of $d^2$ and $d^3$ systems	
31	Question on ground state term symbol	
32	Revision of PYQ of this chapter	

### **Text Book**

Concise Coordination chemistry by Gopalan and Ramalingam A text book for Inorganic chemistry, vol II by Ajai Kumar

#### **Reference Books**

Concise Inorganic Chemistry by J.D. Lee Advanced Inorganic Chemistry vol I by S.P. Tuli, Basu and Madan

### Web/Links for e-content

https://en.wikipedia.org/wiki/Inorganic\_chemistry https://www.youtube.com/live/2LOUTZvcnz8?si=GfcjkSh5llURO2Xr https://www.youtube.com/live/2LOUTZvcnz8?si=Iawv5RIDxtZBmaBb https://youtube.com/playlist?list=PLqUcmwsbGS\_GhYwACsmG4ckDdIygVZme&si=QkITdaQRqceGedFh

### PRACTICE QUESTIONS (QUESTION BANK)

S No	Problem
1	What is CFSE?
2	[NiCl <sub>4</sub> ] <sup>2-</sup> is tetrahedral in shape. Why?



3	Distinguish between VBT and CFT
4	What are shapes of different d-orbitals?
5	What do you understand splitting of orbitals in octahedral complexes?
6	Discuss the splitting of d-orbitals in tetrahedral and squre planer complexes.
7	Discuss the structure and magnetic behaviour of complex [Fe(CN) <sub>6</sub> ] <sup>4-</sup>
8	What is relation between CFSE in octahedral field and tetrahedral field?
9	Describe different types of magnetic substances
10	Defien Curie's and Neel's temperature
11	What is spin only formula for calculating magnetic moment?
12	Explain the linde's factor and calculate it for different compounds.
13	Describe temperature independent magnetism.
14	Discuss Orbital contribution in metal complexes.
15	Why Cu(I) is diamagnetic and Cu(II) is paramagnetic?
16	Define Curie-Weiss law.
17	Calculate the g value for a free electron.
18	Define nucleophilicity and basicity.
19	Discuss thermodynamic stability of the complexes.
20	Draw relationship between stepwise and overall formation constant.
21	Discuss various theories which explain trans effect.



22	What is kinetic stability of the complexes?
23	What are inert and labile complexes?
24	How does polarization theory differ from pi-bonding theory
25	Arrange the various ligands according to the increasing value of trans effect.
26	What are the selection rules in electronic spectra?
27	What are microstates? Calculate them for $d^1$ and $p^2$ configuration.
28	Why the $[Ti(H_2O)_6]^{3+}$ appears violet in colour?
29	What do you mean by term symbol? Also explain spin multiplicity
30	Write a short note on orgel energy level diagrams.
31	Calculate ground state term symbol for Cr (Z= 24)
32	Explain spin allowed and spin forbidden transitions.



### **Department of Chemistry**

Program: BSc IIIrd Organic Chemistry (CH-503)

#### **SCHEME**

Course	Organic Chemistry		Course Type	Theory	
Name					
Course Code	CH-	503	Class	BSc V Sem.	
Instruction	Per week Lectures: 2, Tutorial:1, Practical: 1				
Delivery	Total No. Classes Per Sem: 32(L), (T), -(P) Assessment in Weightage: Sessional (20%), End Term Exams (80%)				
Course	Dr Manish Kumar Course Theory: Dr Manish Kumar				
Coordinator		Instructors	Practical: D	r Manish Kumar	

#### **COURSE OVERVIEW**

Organic chemistry is a subdiscipline within chemistry involving the scientific study of the structure, properties, and reactions of organic compounds and organic materials, i.e., matter in its various forms that contain carbon atoms. Study of structure determines their structural formula. Study of properties includes physical and chemical properties, and evaluation of chemical reactivity to understand their behavior. The study of organic reactions includes the chemical synthesis of natural products, drugs, Heterocyclic compounds and polymers, and study of individual organic molecules in the laboratory and via theoretical (in silico) study.

#### PREREQUISITE

Organic chemistry, NMR spectroscopy, biomolecules and Proteins

#### **COURSE OBJECTIVE**

The objective of this course is to study the principle of nuclear magnetic resonance spectroscopy, determination of compounds structure.

It helps in study of Chemistry of carbohydrates and structure of glucose and fructose. It also objects the structures of disaccharides: maltose, sucrose and lactose

#### **COURSE OUTCOMES (COs)**

After the completion of the course, the student will be able to:

CO No.	Course Outcomes
1	Remember the principle of nuclear magnetic resonance spectroscopy
2	Remember the Chemical shift of various functional group in organic compounds.
3	Understand the monosaccharides structures and their properties.
4	Understand the disaccharides carbohydrates, structures and their properties.



### **COURSE CONTENT**

#### Content

#### NMR Spectroscopy-I

Principle of nuclear magnetic resonance, the PMR spectrum, number of signals, peak areas, equivalent and nonequivalent protons positions of signals and chemical shift, shielding and deshielding of protons, proton counting, splitting of signals and coupling constants, magnetic equivalence of protons.

#### NMR Spectroscopy-II

Discuss ion of PMR spectra of the molecules: ethyl bromide, npropyl bromide, isopropyl bromide, 1,1-dibromoethane, 1,1,2-tribromoethane, ethanol, acetaldehyde, ethyl acetate, toluene, benzaldehyde and acetophenone. Simple problems on PMR spectroscopy for structure determination of organic compounds

#### **Carbohydrates-I**

Classification and nomenclature. Monosaccharides, mechanism of osazone formation, inte rconversion of glucose and fructose, chain lengthening and chain shortening of aldoses. Configuration of monosaccharides. Erythro and threo diastereomers. Conversion of glucose in to mannose. Formation of glycos ides, ethers and esters. Determination of ring size of glucose and fructose. Open chain and cyclic structure of D(+)-glucose & D(-) fructose. Mechanism of mutarotation. Structures of ribose and deoxyribose.

#### **Carbohydrates-II**

An introduction to disaccharides (maltose, sucrose and lactose) and polysaccharides (starch and cellulose) without involving structure determination.

L. No	Topic to be Delivered	Tutorial Plan	Unit
1	Principle of nuclear magnetic		
	resonance	Practice Questions on equivalent	
2	PMR spectrum, number of	protons.	1
	signals, peak		
	areas		
3	equivalent and nonequivalent		
	protons positions of signals		
4	chemical shift, shielding and	Practice Questions on chemical	
	deshielding of protons	shift and factors effecting shift of	

#### **LESSON PLAN** (THEORY AND TUTORIAL CLASSES)



5	proton counting and splitting of signals	protons.	
6	coupling constants, magnetic equivalence of protons.		
7	Questions on calculation of no. of peaks	Practice Questions on electrophilic substitution and	1
8	Questions on Chemical shift in different organic molecules	Basicity of heterocycles.	
9	Discuss ion of PMR spectra of the molecules		
10	ethyl bromide, npropyl bromide, isopropyl bromide, 1,1- dibromoethane,	Practice questions on structure determination of organic molecules.	2
11	1,1,2-tribromoethane, ethanol, acetaldehyde, ethyl acetate, toluene		
12	benzaldehyde and acetophenone		
13	Simple problems on PMR spectroscopy		
14	structure determination of organic compounds		
15	Questions on PMR spectra different molecules		
16	Classification and nomenclature. Monosaccharides		3
17	mechanism of osazone formation, interconversion of	Practice questions on osazone formation	
18	chain lengthening and chain		
-	shortening of aldoses	Practice questions on evaluaring	
19	Erythro and threo diastereomers. Conversion of glucose in to mannose	structure of glucose and fructose	
20	Formation of glycosides, ethers and esters		
21	Determination of ring size of glucose and fructose	Practice questions on chain shortening and leangthening.	
22	Structures of ribose and deoxyribose	Practice questions on ribose ans	
23	Open chain and cyclic structure of $D(+)$ -glucose & $D(-)$ fructose	deoxyribose	
24	Mechanism of mutarotation		
27	Revision of open and closed		
23	chain structures of oblicose and		
	fructose.		



26 27	Disaccharides : maltose, sucrose and lactose.	Practice questions on Structure of disaccharides	4
	Ring chain structure of Disaccharides	Practice questions on organometallic reactions.	
28	Polysaccharides starch and cellulose		
29	Grignard reagent		
30	Organozinc reaction		
31	Organolithium compounds		
32	Revision of PYQ of this chapter		

### **Text Book**

A text book of Organic Chemistry by Bahl and Arun Bahl, A text book of Organic Chemistry by L Finar Vol I

#### **Reference Books**

Oxford Organic Chemistry Second edition by J Clayden, N Greeves, S Warren

#### Web/Links for e-content

https://en.wikipedia.org/wiki/Heterocyclic\_compound https://youtu.be/omU8jC3Kzzw?si=FMr9lFfDlZg-kDHb https://youtube.com/playlist?list=PLLFRJm7ej7QD3NJgy7jip\_7skHzdGKv\_&si=VVHzHsUkMsC1DNgv

### **PRACTICE QUESTIONS (QUESTION BANK)**

S No	Problem
1	Discuss principle of NMR spectra
2	What is saturated state in NMR spectra?
3	Define equivalent and non-equivalent protons.
4	Discuss nuclear spin state.
5	What do you mean by chemical shift?
6	What is relaxation process in NMR spectroscopy?



7	How many equivalent protons in vinyl chloride?		
8	How many signals in toluene, ethanol and Dibromoethane.		
9	What is coupling constant?		
10	Explain shielding and deshielding of protons.		
11	1,1-Dibromoethane give 2 signals but 1,2- Dibromoethane gives one signal. Why?		
12	How does electronegativity effect the chemical shift ?		
13	How does H-bonding effect the chemical shift		
14	Ethene absorbs at high signal than acetylene. Why?		
15	What you expect from the spectra of p-dichlorobenzene?		
16	Differentiate between starch and cellulose		
17	Give the Ruff's degradation		
18	How can ring size of glucose can be determined?		
19	Give Haworth formula of amylose and sucrose		
20	How will you convert fructose into glucose and mannose?		
21	Explain kilani-fischer synthesis		
22	What is mutarotation? give it for glucose.		
23	Give reaction of both glucose and fructose with fehling's solution.		
24	What is invert sugar?		



25	Convert ethyl magnesium bromide into tret-butyl alcohol.
26	How the ring structure of glucose is determind?
27	Draw Haworth structure of maltose and lactose.
28	Discuss reaction alkyllithium with CO <sub>2</sub> .
29	What is glucopyranose form and fructo furanose form?

30	Differentiate glucose and lactose
31	Discuss reaction of Grignard reagent to prepare carboxylic acids.
32	What do you understand chain lengthening of saccharide group?



# Department of Physics Program: B.Sc. Non Medical Session (2024-25) Solid state Physics (PHY 501)

### **SCHEME**

Course Name	Solid state Physics		Course Type	Theory
Course Code	РНҮ 501		Class	B.Sc. N.M. V Sem
Instruction Delivery	Per week Lectures: 6, The Total No. Classes Per Sem: Assessment in Weightage: S	ory (02), Tutorial:0, I 72(L), 24(T), - 48(P) Sessional (20%), End	Practical:04 Term Exams (80%	%)
Course Coordinator	Dr. Savita Devi	Course Instructors	Theory: Dr. Sav Practical: Ms.	ita Devi . Jyoti

### **COURSE OVERVIEW**

Matter offers in four forms example plasma, gas, liquid and solid in the universe. Most of the matter in the universities in the stars and galaxies were the matrix mainly in the plasma state.

PREREQUISITE

Crystal, lattice

**COURSE OBJECTIVE** 

# Objective of the solid state Physics is to understand the crystal structure and lattice formation in two dimensional and three dimensional. COURSE OUTCOMES (COs)

After the completion of the course, the student will be able to:

CO No.	Course Outcomes
1	Understand the crystal structure and lattice formation, crystal planes, Miller indices
2	Define and explain the laws of diffraction
3	Get an introduction to the reciprocal letters and its physical significance
4	Solve the problems based on crystal structure and lattice formation



#### **COURSE CONTENT**

#### Content

Crystalline and glassy forms, liquid crystals, crystal structure, periodicity, lattice and basis crystal translational vectors and axes, unit cell and primitive cell, winger Seitz primitive cell, symmetry operations for two dimensional crystal, Bravais lattice in two and three dimensions.

Crystal planes and Miller indices, interplaner spacing, crystal structures of zinc sulphide, sodium chloride and diamond, X - ray diffraction, Bragg's law and experimental X-Ray diffraction methods, K space.

Reciprocal lattice and its physical significance, reciprocal lattice vectors, reciprocal letters to a simple cubic lattice, b.c.c. and f.c.c.

Specific heat: specific heat of solids, Einstein theory of specific heat, Debye model of specific heat of solids

#### LESSON PLAN (THEORY AND TUTORIAL CLASSES)

L. No	Topic to be Delivered	Tutorial Plan	Unit
1	Crystalline and glassy forms		
2	Liquid crystals		1
	Crystal structure	Define, expression,	1
		explanation	
4	Periodicity		
5	Lattice and basis crystal		
	translation vectors and axis		

6	Unit cell and primitive cell	Itroduction, derivation	
7	Winger Seitz primitive cell	Define, expression,	
8	Symmetry operations for a	explanation	1
	two dimensional crystal		



9	IBravais lattice in two and three dimensions		
10	Revision	Discussion , explanation ,	
11	Question	calculations	
12	Crystal planes and Miller indices	Define, expression, explanation	
10			
13	Interplaner spacing	State, explanation	
14	Crystal structures of zinc sulphide		
15		State, Explanation	
	Stan stuar of as divers shlarida		2
16	Structure of sodium chloride	Expression and explanation	2
10	Crystal structure of diamond		
17	X-ray refraction		
18	Bragg's law	State, Expression and	
19	Experimental x-ray diffraction methods	explanation	
20	K space		
21	Revision	Explanation	
22	Questions	Explanation, Calculations	
23	Reciprocal lattice and its physical significance		
24	Reciprocaller is vectors	State, expression	
25	Reciprocal latest ve simple cubic letters		
26	B.C.C., F.C.C.	Introduction, explanation	
27	Specification of solids,	_	3
	Einstein theory of specific heat	State, expression and explanation	
28	Debye model of specific heat of solids		
29	Revision		
30	Questions	Explanation, Calculations	

### **Text Book**

Dr. M.S.Sheoran, Jaivir Singh, Amar Singh, Pradeep Ahlawat



### Reference Books Charles Kittel, J.R.Hook & H.E.Hall, James Patterson , Bernard Bailey

#### Web/Links for e-content

□ https://www.bscphysicsnotes.me/2021/05/physics-e-book.html?m=1

### **PRACTICE QUESTIONS (QUESTION BANK)**

Sr. No.	Problem
1	Define and explain Miller indices and write
	down their important features
2	Draw a diagram of the unit cell for the simple
	cubic, body centred cubic and face centred
	cubic lattices.
3	Explain x-ray diffraction and hence deduce an
	expression for Bragg's law
4	Explain Bravais lattice. Find the number of
	atoms present in the primitive cell of a
	diamond.
5	DDeduce an expression for the specific heat of
	solid according to Einstein theory also discuss
	its limitations.
6	Discuss the variation of specific heat of solids
	with temperature.
7	Discuss the Debye theory of specific heat of
	solids.What are its successes or failures
8	Write a short note on phonons.



### **Course Plan**

**Department of Mathematics** 

### **Real Analysis**

#### **SCHEME**

Course Name	Real Analysis		Course Type	Theory
<b>Course Code</b>	BM 351		Class	B.A. / B .Sc.5 <sup>th</sup> Sem.
Instruction Delivery	Per week Lectures: 4, Tuto Total No. Classes Per Sem: Assessment in Weightage: S	rial: 1, Practical: Nill (L) 45, (T)15, (P)Nill Sessional (20%), End	Term Exams (80 <sup>4</sup>	%)
Course Coordinator	Dr Meenakshi Gugnani	Course Instructors	Theory: Dr Mee	enakshi Gugnani

#### **COURSE OVERVIEW**

Real Analysis course provides a detailed study of the real number system and the foundational concepts of calculus in a rigorous, proof-based manner. The course covers topics such as sequences and series, limits, continuity, differentiation, and Riemann integration. Students explore key theorems like the Intermediate Value Theorem, Mean Value Theorem, and the Fundamental Theorem of Calculus, while learning to construct formal mathematical proofs. The course emphasizes the importance of precise definitions, logical reasoning, and abstract thinking, preparing students for advanced mathematics and related disciplines.

#### COURSE OBJECTIVE

The objective of an undergraduate Real Analysis course is to develop a rigorous understanding of fundamental concepts like limits, continuity, differentiation, and integration. The course aims to enhance students' mathematical reasoning and proof-writing skills, providing a strong foundation for advanced studies in mathematics. Additionally, it seeks to cultivate critical thinking and problem-solving abilities by engaging students with challenging problems and applications of real analysis in various fields.

#### **COURSE OUTCOMES (COs)**

After the completion of the course, the student will be able to:



### **Course Plan**

Co No.	
1	<b>Understanding Core Concepts</b> : Mastery of real numbers, sequences, series, limits, continuity, differentiability, and integrability.
2	<b>Proficiency in Proof Techniques</b> : Ability to construct and apply rigorous mathematical proofs.
3	<b>Problem-Solving Skills:</b> Development of skills to solve complex mathematical problems using analysis techniques.
4	<b>Prepare for Advanced Mathematics:</b> Students will be equipped to pursue higher- level mathematics courses and research.

### **COURSE CONTENT**

#### Content

Note: The question paper will consist of-**five** sections. Each of the first four sections(I-IV) will contain two questions(each carrying 4.5 marks for B.A. and 7 marks for B.sc) and the students shall be asked to attempt **one** question from each section. **Section-V** will contain six short answer type questions(each carrying 1.5 marks for B.A. and 2 marks for B.sc) without any internal choice covering the entire syllabus and shall be-**compulsory**.

#### Section – I

Riemann integral, Integrability of continuous and monotonic functions, The Fundamental theorem of integral calculus. Mean value theorems of integral calculus.

#### Section – II

Improper integrals and their convergence, Comparison tests, Abel's and Dirichlet's tests, Frullani's integral, Integral as a function of a parameter. Continuity, Differentiability and integrability of an integral of a function of a parameter.

#### Section-III

Definition and examples of metric spaces, neighborhoods, limit points, interior points, open and closed sets, closure and interior, boundary points, subspace of a metric space, equivalent metrics, Cauchy sequences, completeness, Cantor's intersection theorem, Baire's category theorem, contraction Principle

#### Section - IV

Continuous functions, uniform continuity, compactness for metric spaces, sequential compactness, Bolzano-Weierstrass property, total boundedness, finite intersection property, continuity in relation with compactness, connected-ness, components, continuity in relation with connectedness.



### **Course Plan**

### **LESSON PLAN (THEORY AND TUTORIAL CLASSES)**

L No	Topic to be Delivered	Tutorial Plan	No. of Lecture	Unit
			Delivered	
1	Partition, Norm of partition , Refinement of partition & theorems on it , upper sum lower sum and theorems.		2	1
2	Lower Riemann integral , upper Riemann integral and numerical		2	
3	Darboux'x condition of Integer- ability	Revision of theorems	2	
4	Integrebilityof continuous functions and numericals	Practice Questions	2	
5	Properties of Riemann integral and numerical		2	
6	Fundamental theorem of integral calculus and numerical	Revision	2	
7	Revision problems		1	
8	Improper integrals and examples	Practice questions of improper integral	2	2
9	Comparison test and numerical	Revision	3	
10	Absolute convergence and convergence at infinity		2	
11	Abel's and Dirichlet's tests and examples	Practice questions	2	



# **Course Plan**

12	Frullani's integrals and numericals		2	
13	Integral as a function of a parameterContinuity and examples of it	Practice Questions	2	
14	Differntiabiliy and integer- ability of an integral functions of a parameter and examples on it		1	
15	Definition and examples of metric spaces		1	3
16	Nbd , limit points , interior points and eg on it	Practice questions on Metric Space	1	
17	Open and closed sets , closure , boundary points and eg of topic covered theorems	Revision of theorems	1	
18	Adherent point , derived set and theorems , exterior point , equivalent metrics		1	
20	Cantor's intersection theorem		1	
21	Baire's category theorem, contraction principle and eg	Revision of theorems	1	
22	Revision		2	
23	Continuous functions, uniform continuity and theorems		2	4
24	Numerical	Practice questions of continuous	1	
25	Compactness in metric spaces, BWP boundedness and FIP theorems	and uniform continuous in metric space	3	
26	Connectedness, continuity in relation with connectedness		3	



### **Course Plan**

27			1	
	Continuity and compactness	Practice questions		
28	Revision and problems	Revision and problems		

### **Text Book**

Real Analysis : By Jeevansons Publications

### **References:**

- 1. T.M. Apostol: Mathematical Analysis, Narosa Publishing House, New Delhi, 1985
- 2. R.R. Goldberg : Real analysis, Oxford & IBH publishing Co., New Delhi, 1970

3. D. Somasundaram and B. Choudhary : A First Course in Mathematical Analysis, Narosa Publishing House, New Delhi, 1997

- 4. Shanti Narayan : A Course of Mathematical Analysis, S. Chand & Co., New Delhi.
- 5. R.G. Bartle D.R. Sherbet, Introduction to Real analysis, John Wiley & Sons.
- 6. J. E. Marsden- A. J. Tromba- A. Weinstein, Basic multi-variable calculus, Springer.
- 7. Ajit Kumar & S. Kumaresan, A Basic Course in Real Analysis, CRC Press, 2014.
- 8. J. Stewart, Calculus, Brooke/Cole Publishing Co, 1994.

#### Web/Links for e-content

- https://www.google.com/search?q=metric+space&oq=metric+space&gs\_lcrp=EgZjaHJvbWUy DAgAEEUYORixAxiABDIHCAEQABiABDIHCAIQABiABDIHCAMQABiABDIHCAQQA BiABDIHCAUQLhiABDIHCAYQABiABDIHCAcQABiABDIHCAgQABiABDIHCAkQLhiA BNIBCTEzNzQ0ajBqNKgCALACAQ&sourceid=chrome&ie=UTF-8#fpstate=ive&vld=cid:4f77a6b6,vid:yvaFeNLZ9s8,st:0
- https://www.google.com/search?q=convergence+in+metric+space&oq=convergence&gs\_lcrp= EgZjaHJvbWUqDQgAEAAYkQIYgAQYigUyDQgAEAAYkQIYgAQYigUyDwgBEEUYORi DARixAxiABDINCAIQABiRAhiABBiKBTINCAMQABiRAhiABBiKBTINCAQQABiRAhi ABBiKBTINCAUQABiRAhiABBiKBTIHCAYQABiABDIKCAcQABixAxiABDIHCAgQAB iABDIQCAkQABiDARixAxiABBiKBdIBCDUzNTlqMGo3qAIIsAIB&sourceid=chrome&ie= UTF-8#fpstate=ive&vld=cid:815277c0,vid:VXWFgpwzMyk,st:0
- https://www.google.com/search?q=riemann+integral&oq=reimamm+&gs\_lcrp=EgZjaHJvbWU qDAgCEAAYDRixAxiABDIGCAAQRRg5MgwIARAAGA0YsQMYgAQyDAgCEAAYDRix AxiABDIJCAMQABgNGIAEMgkIBBAAGA0YgAQyCQgFEAAYDRiABDIJCAYQABgNGI

### **Course Plan**

AEMgkIBxAAGA0YgAQyCQgIEAAYDRiABDIPCAkQABgNGIMBGLEDGIAE0gEJMTEx MTVqMGo3qAIIsAIB&sourceid=chrome&ie=UTF-8#fpstate=ive&vld=cid:c180ed49,vid:kpNTFEbN\_3Q,st:0

### As PRACTICE QUESTIONS (QUESTION BANK)

S No	Problem
1	Prove that a continuous function for [a, b] is integrable on [a, b]. Is the converse true? Justify
2	Evaluate $\pi/2/0$ Sinx
	using definition of Riemann Sum
3	Evaluate the values of integral $\int \frac{\sin x}{1+x^2}$ by using Mean Value theorm
4	Examine the Convergence of $\int_{\circ}^{\infty} \frac{dx}{ex+e-x}$
5	If a>b>o, prove that $\int_{0}^{\infty} \frac{e^{-ax} - e^{-bx}}{x} dx = \log \frac{b}{a}$
6	$\int_{\alpha}^{\infty} \frac{tan^{-1}dx}{x(1+x^2)}  dx  if  \alpha \ge 0$
7	Let (X , d) be a metric space Define d*: X X X – R by d*(x ,y)=min $\{2,d(x, y)\}$ Show that d*( (x ,y) is a metric on X
8	In a metric space, if A $\underline{C}$ B the A <sup>o</sup> $\underline{C}$ B <sup>o</sup>
9	The usual-metric space (R,d) is complete.
10	Let $(X, d^*)$ & $(Y, d^*)$ be two metric spaces & Let f:X-Y Then f is continuous iff the inverse image under 'f' of every closed subset of Y is closed subset of X.



### **Course Plan**

11	Prove that every contraction mapping f: $(X,d) - (X,d)$ is uniformly continuous on X.
12	Prove that the usual metric space (R,d) is not compact.
13	If f is a bounded function on [a,b] & P'is a refinement of a partition P of [a,b] then L (f,P') $\ge$ L(f,P) & U (f,P') $\ge$ U (f,P)
14	The necessary & sufficient condition for a bounded unction f to be integrable on [a,b] is that to each $\in$ >O, there exists a partition P of [a,b] s.t U(f,P)-L(f,P) < $\in$
15	Show that $\frac{\pi/2}{0}$ Sinx log(Sinx) dx is Convergent with the value log $\frac{2}{e}$
16	Prove that $\int_{0}^{\infty} \frac{e^{-ax}sinbx}{x} dx = tan^{-}$ b/a and hence deduce that $\int_{0}^{\infty} \frac{sinbx}{x} dx = \frac{\pi}{2}$
17	Let X be the set of all real valued bounded functions defined on [a,b] and let 'd' be a function such that $d(f,g) = \text{Sup }  f(x) - g(x) $ for all f,g, $\in X$ . show that (X, d) is a metric space.
18	In any metric space (X,d), each closed sphere is a closed set.
19	Let (X,d) ) &(Y,d) be metric spaces & f be a function of X into Y. Then fis cont at a€X iff to every sequence <an>In X converging to a, the sequence <f (an)=""> in Yconverges to f(a) i.e an – a implies f(an) – f(a)</f></an>
20	Show that the function $f:[0,1] - R$ such that $f(x) = x^2$ is uniformly continuous.







### **Department of Chemistry**

### Program: B.Sc.(Non medical & Medical) Physical Chemistry (CH-502)

### **SCHEME**

Course Name	Physical Ch	nemistry	Course Type	Theory
<b>Course Code</b>	CH-50	)2	Class	B.Sc 5th sem
Instruction Delivery	Per week Lectures: 2,Tutorial -1, Practical: - Total No. Classes Per Sem: 72(L), 28(T), -(P) Assessment in Weightage: Sessional (20%), End Term Exams (80%)			
Course Coordinator	Mrs. Ritu	Course Instructors	Theory: Mrs. R Practical:	itu

#### **COURSE OVERVIEW**

Physical chemistry is concerned with the quantum mechanics, spectroscopy & molecular structure.

#### PREREQUISITE

Basics of chemistry, Knowledge of physical chemistry terms.

#### **COURSE OBJECTIVE**

The objective of this course is to explore the knowledge of molecular spectroscopy. This course will also provide us knowledge of quantum mechanics & molecular structure.

#### **COURSE OUTCOMES (COs)**

After the completion of the course, the student will be able to:

CO No.	Course Outcomes
1	Remember the basic concept of quantum mechanics.
2	Understand the physical properties & molecular structure.
3	Apply the various concepts of spectroscopy.
4	Analyze the application of Vibrational & Raman spectroscopy.

COURSE



#### Content

Quantum mechanics:- black body radiation, Planck's radiation law ,Photoelectric effect, heat capacity of solids, Compton effect, wave function & significance of postulates of quantum mechanics quantum mechanical operator ,commutation relations ,hamiltonian operator, Hermitian operator average value of square of Hermitian as a positive quantity ,role of operator in Quantum Mechanics, to show Quantum mechanically that position and Momentum can't be predicted simultaneously determination of wave function and energy of a particle in one dimensional box. Physical properties and molecular structure:- optical activity, orientation of dipole in an electric field, dipole moment included dipole moment, measurement of dipole moment- temperature method and refractivity method, dipole moment and structure of molecules ,magnetic permeability, magnetic susceptibility and its determination, application of magnetic susceptibility, magnetic properties -paramagnetism, and ferromagnetism. Spectroscopy:- introduction ,electromagnetic radiation, region of spectrum, basic feature of Spectroscopy, degrees of freedom, Rotational spectrum, selection rule ,energy level of rigid rotator ,rotational spectra of diatomic molecules, spectral intensity distribution using population distribution, determination of Bond length and isotopic effect ,vibrational spectrum selection rules ,energy levels of simple harmonic oscillator, pure vibrational spectrum of diatomic molecules, determination of force and qualitative relation of force and bond energy, Raman spectra of di atomic molecule ,selection rules ,Quantum theory of Raman spectra.

#### **LESSON PLAN** (THEORY AND TUTORIAL CLASSES

L. No	Topic to be Delivered	Tutorial Plan	Unit
1	Introduction alectromagnetic		
1	radiation, region of spectrum		
2	Basic features of spectroscopy		1
3	Born Oppenheimer approximation ,degrees of freedom		
4	Rotational spectrum -selection rules, energy levels of rigid rotator		
5	Rotational spectra of diatomic molecules, spectral intensity distribution using population distribution		



6	Determination of Rond longth	Discussion of previous year	
Ũ	and isotopic offect	questions	
7		questions	
/	vibrational spectrum -selection		
	rules, energy levels of simple		2
	narmonic oscillator		2
8	Pure vibrational spectrum of		
	diatomic molecules		
9	Determination of force constant		
	and qualitative relation of force		
	constant and bond energy, idea		
	of vibrational frequency of		
	different functional group		
10	Raman spectrum- concept of		
	polarizibility ,pure rotational		
	Raman spectra	Practice questions on vibrational	
11	Pure vibrational Raman spectra	frequency & force constant	
	of diatomic molecules ,selection		
	rules		
12	Quantum theory of Raman		
	spectra		
13	Revision of spectra		
14	Black body radiation, plancks		
	Radiation Law, Photoelectric		
	effect, postulates of quantum		
	mechanics, quantum mechanical		
	operator, commutation relations		
15	Hamiltonian operator ,average		3
	value of square of hermitian as a		5
	positive quantity.		
16	Role of operator in quantum		
	mechanics ,To show Quantum		
	mechanically that position and		
	Momentum can't be predicted		
	simultaneously.		
17	Determination of wave function		
	and energy of a particle in one		
	dimensional box		
18	Optical activity -polarization,	Practice of Hamiltonian &	4
	clausius Mossotti equation.	Hermitian operator	
19	Orientation of dipoles in an		
	electric field ,dipole moment,		
	measurement of dipole moment		
20	Temperature method and		
	refractivity method		
21	Dipole moment and structure of		
	molecules, magnetic		



	permeability, magnetic	
	susceptibility and its	
	determination	
22	Applications of magnetic	
	susceptibility and magnetic	
	properties -paramagnetism,	
	diamagnetism and	
	ferromagnetism	

23		Discussion of previous year		
	Revision of molecular structure	questions paper		I
	and physical properties			
24	Revision of syllabus			
25	Practice of numericals of			
	quantum			
•				
•				

#### **Text Book**

Modern approach to physical chemistry by S.Kiran kavya" Physical chemistry by Pardeep publication

#### **Reference Books**

- "Fundamentals of molecular spectroscopy by C.N.Banwell".
- "Spectroscopy by H. Kaur"



#### Web/Links for e-content

- □ https://youtu.be/NZUnoTR-AL8?si=B7A1Ejd95ZMRKSg3

### PRACTICE QUESTIONS (QUESTION BANK)

S No	Problem
1	State and explain Born oppenheimer approximation.
2	Write note on Population of energy level in rotational spectrum.
3	Discuss force constant and its variation .How it is determined?
4	Discuss vibrational Raman spectrum of the atomic molecules. How P, Q, R branches appear?
5	Discuss planck's radiation law.
6	Explain the terms magnetic permeability & magnetic susceptibility.
7	Define Hermitian operator .Give characteristics of Hermitian operator.
8	Explain concept of particle in one dimensional box.
9	What is dipole moment ? Write its important applications.
10	What is eigen value and eigen function?
11	Discuss the temperature method for the measurement of dipole moment.



1.0	
12	Explain in detail the rotational spectra of a diatomic molecule.





### **Department of Mathematics**

Program: BA / BSc

### Groups and Rings

#### **SCHEME**

Course Name	Groups and	l Rings	Course Type	Theory
Course Code	12BAM352/12BSM352		Class	BA / BSc V Sem.
Instruction Delivery	Per week Lectures: 4, Tute Total No. Classes Per Sem Assessment in Weightage:	orial:1 : 48(L), 12(T) Sessional (20%), End	d Term Exams (8	0%)
Course Coordinator	Dr. Sunny Kapoor	Course Instructor	Theory: Dr. Su	nny Kapoor

#### **COURSE OVERVIEW**

Groups and Rings is the branch of Mathematics which deals with definitions and properties of Groups and Rings as well as their substructure and homomorphism. It has many real life applications including Algebraic Geometry, Cryptography, Coding theory, Computer Vision, Quantum Computing and Mechanics.

#### PREREQUISITE

Sets, Polynomials, Functions and Relations, Number Theory.

#### **COURSE OBJECTIVE**

The objective of this course is to develop a clear understanding of concepts of Groups, Rings, Integral domains and their examples. Student should understand the significance of Unique Factorization in rings and integral domains. They learn to apply theorems such as fundamental theorem of Homomorphism for groups to examples. They are trained in logical thinking and in constructions of mathematical proofs. They will be able to recognize and use algebraic structure in engineering and Science subjects.

#### **COURSE OUTCOMES (COs)**

After the completion of the course, the student will be able to:

CO No.	Course Outcomes
1	The students will be able to acquire the basic knowledge of Group, Subgroup, Cyclic
	group and Normal subgroup and their properties and analyze the consequences of
	lagranges theorem.
2	The students will understand the concept of Homomorphisms and Automorphisms and they will able to find cycles and transpositions of a given permutations and prove caley's theorem.
3	This course will enable the students to Know the fundamental concepts in ring theory



	such as the concepts of ideals, quotient rings, integral domains, and fields.
4	The students will be able to learn in detail about polynomial rings and irreducibility criterion.

### **COURSE CONTENT**

#### Content

#### Section – I

Definition of a group with example and simple properties of groups, Subgroups and Subgroup criteria, Generation of groups, cyclic groups, Cosets, Left and right cosets, Index of a sub-group Coset decomposition, Largrage's theorem and its consequences, Normal subgroups, Quotient groups.

#### Section – II

Homomorphisms, isomophisms, automorphisms and inner automorphisms of a group. Automorphisms of cyclic groups, Permutations groups. Even and odd permutations. Alternating groups, Cayley's theorem, Center of a group and derived group of a group.

#### Section – III

Introduction to rings, subrings, integral domains and fields, Characteristics of a ring. Ring homomorphisms, ideals (principle, prime and Maximal) and Quotient rings, Field of quotients of an integral domain.

#### Section – IV

Euclidean rings, Polynomial rings, Polynomials over the rational field, The Eisenstein's criterion, Polynomial rings over commutative rings, Unique factorization domain, R unique factorization domain implies so is R[X1, X2.....Xn]

#### **LESSON PLAN (THEORY AND TUTORIAL CLASSES)**

S. No	Topic to be Delivered	Tutorial Plan	No. of Lectures Required	Unit
1	Definition of Groups, Abelian Group, order of a Group & examples based on it	Practice Questions on Groups	2	1
2	General Properties of Groups & Theorems & based Problems		1	



				1
3	Subgroups & based Theorems		1	
	& Examples			
4	Cyclic Groups & based	Practice Questions on Subgroups	2	
4	Cyclic Gloups & based		2	
	Theorems	& Cyclic Groups		
5	Cosets, Theorems & based		1	
	Examples			
6	Normal Subgroups, Theorems		2	
	& based Examples			
	& based Examples			
7	Quatiant Chauna Theorems &	Practice Theorem on Coasts		
/	Quotient Groups, Theorems &	Practice Theorems on Cosets,	2	
	based Examples	Quotient Groups		
8	Homomorphism Isomorphism		1	2
0	of Change the service of heard		1	-
	of Groups, theorems & based			
	Examples			
9	Kernel of Homomorphism &		1	
	based Theorems			
10	Fundamental Theorem of		1	
	Homomorphism, Second &			
	Third Theorem of Isomorphism			
	& based examples			
11	Automorphism of Groups	Drastics Theorems on	2	
	Automorphism of Groups,	Hactice meoremis on	2	
	Group of Automorphism of a	Homomorphism and		
	Group, Inner Automorphism,	Automorphism		
	Theorems & based Examples			
12	Group of Automorphism of a		1	
	Cyclic Group, Theorems &			
	based Examples			
13	Centre of a Group.	Practice Examples on	2	
	Characteristic Subgroups.	Automorphisms of a Cvclic		
	Theorems & based Examples	Group		
14	Normalizer of an Flement	louowh	1	
14	Dorived Group theorems 6		1	
	Less 1 Error 1			
	pased Examples			
15	Permutation Groups, Cyclic	Practice Examples on Permutation	2	



	Permutations, Disjoint Cycles, Even & Odd Permutations,	Groups		
	Theorems & based Examples			
16	Rings, Types of Ring & based	. Practice Theorems & Examples	1	3
	Examples	on Rings and Fields		
	1			
17	Rings without or with Zero		2	
	Divisors, Integral Domain,			
	Division Ring, Field, Theorems			
	& based examples			
18	Subring, Centre of a Ring,	. Practice Theorems & Examples	2	
	Characteristic of a ring,	on Subring & Ideal		
	Theorems & based Examples			
10	Ideal sum & product of two		2	
19	ideals Ideal generated by a set		2	
	& based theorems			
20	Unity Ideal, Zero Ideal, Prime		2	
	Ideal, maximal & Co-maximal			
	Ideal , Theorems & based			
	Examples			
21	Ring Homomorphism, Kernel of	Practice Theorems & Examples	2	
	a Ring Homomorphism,	on Ring Homomorphism		
	theorems & based examples			
22	Fundamental Theorem of		2	
	Converse let & Und Theorem			
	of Isomorphism & based			
	Examples			
	F			
23	Embedded Ring, Sets of	Practice Theorems & Examples	2	
	Quotient of a Ring, Field of	on Integral Domain		
	Quotient of an Integral Domain,			
	Theorem & based Examples			
	1			
24	Euclidean Ring Introduction,		1	4
	some important Definitions,			
- 25	I neorems & based Examples	Drastico Theorems & Evenue 1	2	
25	r micipal ideal Domain, Theorems & based Examples	on Euclidean Ring & Dringing!		
		Ideal Domain		
26	Polynomial Rings, polynomials		2	
20	over an Integral Domain, Field		-	
	& based Theorems			



27	Divisibility of Polynomials,		2	
	based Theorems & Examples			
28	Unique Factorization Domain,	Practice Theorems & Examples	2	
	Principal Ideal Domain & based	on Polynomial Rings		
	Theorems			
29	Eisenstein's Irreducibility		2	
	Criterian & based Examples			

### **Text Book**

Groups and Rings (New College), Jeevansons Publications.

#### **Reference Books**

- □ I.N. Herstein : Topics in Algebra, Wiley Eastern Ltd., New Delhi, 1975.
- D. P.B. Bhattacharya, S.K. Jain and S.R. Nagpal : Basic Abstract Algebra (2nd edition).
- □ Vivek Sahai and Vikas Bist : Algebra, NKarosa Publishing House.
- □ I.S. Luther and I.B.S. Passi : Algebra, Vol.-II, Norsa Publishing House.
- □ J.B. Gallian: Abstract Algebra, Narosa Publishing House.

#### Web/Links for e-content

- https://www.youtube.com/watch?v=newmGKDkZg8&list=PLuOC6MWwpRdrpu7\_a32cU t9Zuv\_HLE1Y4
- https://www.youtube.com/watch?v=qqcoKJbJAZ4&list=PLo6GH294UqWXm6-PmtGJY03mCIjBW0u5-
- https://www.youtube.com/watch?v=qAqyTZU\_Y\_A&list=PLrt1YsMQhC9iCUAOJ0IqcZ HwYxv84IB6e

### **PRACTICE QUESTIONS (QUESTION BANK)**

S No	Problem
1	Prove that every cyclic group is an abelian group.
2	Define centre of a group.
3	Prove that every field is an Euclidean ring.



4	Define characteristic of a ring.
5	If S is an ideal of a ring R with unity such that 1eS then show that S=R.
6	Prove that every subgroup of an abelian group is always normal.
7	Prove that an ideal of a ring of integers is maximum iff it is generated by some prime Integers.
8	Let f be a ring isomorphism of R onto R'. Show that if R is an integral domain, then R' is also an integral domain
9	If a group has four elements, then show that it must be abelian.
10	Prove that every subgroup of a cyclic group is cyclic.
11	If an abelian group of order 6 contains an element of order 3, show that it must be a cyclic group.
12	Prove that order of every element of finite group is a divisor of the order of the group.
13	Prove that an element in a principal ideal domain is a prime element iff it is irreducible.
14	Prove that every Euclidean ring is a unique factorization domain.
15	Prove that every finite non-zero integral domain is a field.
16	Prove that every field is a Principal ideal ring.
17	Prove that the orders of the elements $\alpha$ and $x^{-1}ax$ are the same, where a, x are the two elements of a group.
18	Show that the union of two subgroups is a subgroup if and only if one is contained in the other.
19	Prove that the number of generators of a finite cyclic group of order n is $^{\Phi}(n)$ , where $^{\phi}(n)$ is the Euler's $^{\phi}$ function.
20	Prove that the order of every element of a finite group is a divisor of the order of the group.



21	State and prove second theorem of isomorphism.
22	If G is a finite abelian group of order n and m is a positive integer such that $(m, n) = 1$ ,
	then show that I: $G \rightarrow G$ defined by $f(x) = x^{-1}$ is an automorphism.
23	Let G be a non-abelian group such that $O(G) = p^3$ , where p is a prime. Show that $O(Z(G)) =$
	p.
24	Find the centre of permutation group $S_3$ .



### **Department of Mathematics**

Program: BA / BSc

**Numerical Analysis** 

#### **SCHEME**

Course Name	Numerical A	Analysis	Course Type	Theory & Practical	
Course Code	12 BAM 353/ 1	12BSM 353	Class	BA / BSc V Sem.	
Instruction Delivery	nstruction Per week Lectures: 4, Practical: 2 Delivery Total No. Classes Per Sem: 40(L), 20(P) Assessment in Weightage: Sessional (13%), Practical(13%)End Term Exams (74%)				
Course Coordinator	Dr. Sunny Kapoor	Course Instructor	Theory: Dr. Sunny Kapoor		

#### **COURSE OVERVIEW**

Numerical Analysis is the branch of Mathematics which concerns with the development of efficient methods for getting numerical solution to complex mathematical problems. It is used in many fields including engineering, physics, finance and Life Sciences. It is useful when exact solution to a problem is difficult to find. Numerical Analysis also simplifies the conventional method to solve problems like definite integration, solution of differential equations, Interpolation etc. these are basic algorithms underpinning computer predictions in modern system science.

#### PREREQUISITE

Differentiatial Equations, calculus, Linear Algebra, Programming Language C.

#### **COURSE OBJECTIVE**

The primary objective of this course is to develop the basic understanding of numerical algorithms and skills to implement algorithm to solve mathematical problems on the computer. Students understand the numerical methods, learn how to apply numerical methods for solving engineering and mathematical problems. They learn about limitations of analytical methods and need of numerical methods. They learn how to report their analysis, solutions and results in a standard engineering format.

#### **COURSE OUTCOMES (COs)**

After the completion of the course, the student will be able to:

CO No.	Course Outcomes
1.	This course will enable students to obtain numerical solutions of algebraic and
	transcendental equations
2.	Students will be able to find numerical solutions of system of linear equations and check the accuracy of the solutions.



3.	They will learn about various interpolating and extrapolating methods.
4.	It will help them to solve initial and boundary value problems in differential equations using numerical methods.
5.	They will acquire the knowledge how to evaluate approximate numerical value of definite integral using different numerical methods.
6.	Students will be able to apply various numerical methods in real life problems.

### **COURSE CONTENT**

Content

Finite Differences operators and their relations. Finding the missing terms and effect of error in a difference tabular values, Interpolation with equal intervals: Newton's forward and Newton's backward interpolation formulae. Interpolation with unequal intervals: Newton's divided difference, Lagrange's Interpolation formulae, Hermite Formula.

Central Differences: Gauss forward and Gauss's backward interpolation formulae, Sterling, Bessel Formula. Probability distribution of random variables, Binomial distribution, Poisson's distribution, Normal distribution: Mean, Variance and Fitting.

Numerical Differentiation: Derivative of a function using interpolation formulae as studied in Sections –I & II. Eigen Value Problems: Power method, Jacobi's method, Given's method, House-Holder's method, QR method, Lanczos method.

Numerical Integration: Newton-Cote's Quadrature formula, Trapezoidal rule, Simpson's onethird and three-eighth rule, Chebychev formula, Gauss Quadrature formula. Numerical solution of ordinary differential equations: Single step methods-Picard'smethod. Taylor's series method, Euler's method, Runge-Kutta Methods. Multiple step methods; Predictor-corrector method, Modified Euler's method, Milne-Simpson's method.

S. No	Topic to be Delivered	Practical Plan	No. of Lectures Required	Unit
1	Forward and Backward differences	Revision of Basics of C Language	2	1
2	Properties of forward operator and Shift operator	Revision of syntax of C Language	2	

#### **LESSON PLAN (THEORY AND PRACTICAL CLASSES)**



3	Locating Error and finding	Revision of flowchart symbols,	2	
	missing term	Loops, if, if-else statements		
4	Newton Gregory Forward	Revision of c language basics	2	
	Newton Gregory Backward			
	Formula			
5	Newton's divided difference	Write a flowchart to demonstrate	2	
5	Formula	Newton-forward Interpolation	2	
		formula		
6	Lagrange's interpolation formula	Writing program to execute	2	
	Hermite Formula	Newton forward Interpolation		
7	Central Difference Interpolation	Write a flowchart to demonstrate	3	2
	Formulae:	Newton-backward Interpolation		
	Gauss Forward Formula and	formula		
8	Central Difference Interpolation	Writing program to execute	2	
0	Formulae:	Newton backward Interpolation	2	
		1		
	Sterling formula			
	Desser's formula			
9	Probability distribution of a	Flowchart to demonstrate	2	
	Random variable	Lagrange's Interpolation formula		
10	Binomial distribution	Writing program to execute	1	
		Lagrange's Interpolation formula		
1.1	Deissen distribution	Devicion of Drovious Droomans	2	
	r oisson distribution	Revision of Previous Programs	2	
12	Normal distribution	Revision of Previous Programs	2	
13	Numerical Integration Introduction	Flowchart and program to	1	4
	Trapezoidal Rule	demonstrate Trapezoidal Rule		
14	Simpson's one third Rule		1	
1.5	Simpson's three eight Pule		1	
15	Simpson s unce eight Rule			
16	Chebychev formula	Flowchart and program to	1	
		demonstrate Simpson's one-third		
		rule		



17	Gauss Quadrature Formula	Flowchart and program to demonstrate Simpson's three-eighth rule	1	
18	Euler's method to solve ordinary differential equation		1	
19	Runge kutta method	Flowchart and program to demonstrate Euler's Method	2	
20	Picard's method	Flowchart to demonstrate Ranga Kutta Method	1	
21	Milne simpson's method		1	
22	Numerical differentiation: Derivation using Interpolation formulas	Program to demonstrate Ranga Kutta Method	2	3
23	Maxima and Minima of a tabulated function		1	
24	Eigen values and vectors	Flowchart to demonstrate Milne Simpson's Method	1	
25	Power method to find largest Eigen value &correspondinf Eigen vector		1	
26	Jacobi's method to find eigen values and eigen vectors	Program to demonstrate Milne Simpson's Method	1	
27	Given's Method to transform matrix to tridiagonal form		1	
28	House Holder's method	Revision of programs	1	

#### **Text Book**

Numerical Analysis (New College), Jeevansons Publications. **Reference Books** 

- □ Babu Ram: Numerical Methods, Pearson Publication
- □ R.S. Gupta, Elements of Numerical Analysis, Macmillan's India 2010.



- M.K. Jain, S.R.K.Iyengar, R.K. Jain : Numerical Method, Problems and Solutions, New Age International (P) Ltd., 1996
- M.K. Jain, S.R.K. Iyengar, R.K. Jain : Numerical Method for Scientific and EngineeringComputation, New Age International (P) Ltd., 1999

#### Web/Links for e-content

- https://youtu.be/oiV7I8xQ4sU?si=IDNWGMxgI6uCurLy
- https://youtu.be/6fnCdwc4XFA?si=MYXp16KIPzewzwPm
- https://youtu.be/aepkRB73YS8?si=AP0SqfgCrZ\_yTRTS

### **PRACTICE QUESTIONS (QUESTION BANK)**

S No	Problem
1	State and prove Newton-Gregory Forward interpolation formula.
2	State and prove Newton-Gregory Backward interpolation formula.
3	Use power method to find the largest eigen value of the matrix $A = \begin{bmatrix} 4 & 2 \\ 1 & 3 \end{bmatrix}$ upto five steps only.
4	Using Given's method, reduce the matrix $\begin{bmatrix} 1 & 2 & 3 \\ 2 & 1 & -1 \\ 3 & -1 & 1 \end{bmatrix}$ to tri-diagonal form.
5	Derive Trapezoidal rule.
6	State and prove Bessel's formula
7	Evaluate the integral $\int_0^3 (x^2 + 2x) dx$ by using Gauss's quadrature formula.
8	Evaluate $: \int_0^6 \frac{1}{1+x^2} dx$ by using Trapezoidal rule.
9	Evaluate : $\int_0^4 e^x dx$ by Simpsom's rule using the data. e = 2.72, $e^2 = 7.39$ , $e^3 = 20.09$ , $e^4 = 54.60$ and compare it with the actual value.
10	Using House-holder's method, reduce the matrix $\begin{bmatrix} 1 & 4 & 3 \\ 4 & 1 & 2 \\ 3 & 2 & 1 \end{bmatrix}$ to tri-diagonal form.



11	Using Jacobi's method, find all the eigen values and eigen vectors of the matrix $ \begin{bmatrix} 1 & \sqrt{3} & 4 \\ \sqrt{3} & 5 & \sqrt{3} \\ 4 & \sqrt{3} & 1 \end{bmatrix} $
12	Using Runge-Kutta method, compute $y(0.2)$ and $y(0.4)$ from
	$10\frac{dy}{dx} = x^2 + y^2$ , $y(0) = 1$
	Using Power method find the largest eigen values and eigen vectors of the matrix $ \begin{bmatrix} 1 & 6 & 1 \\ 1 & 2 & 0 \\ 0 & 0 & 3 \end{bmatrix} $
13	Solve the differential equation:
	$\frac{dy}{dx} = -xy^2, y = 2 \text{ at } x = 0,$ by modified Euler's method and obtain y at x = 0.2 in two steps of 0.1 each.
14	Apply Picard's method upto third approximation to solve $\frac{dy}{dx} = 3e^x + 2y$ , where y=0 when x=0
15	The values of the function f(x) for values of x are given as:
	f(1) = 4, f(2) = 5, f(7) = 5, f(8) = 4 Find the value of f(6) and also the values of x for which is f(x) maximum or minimum.
16	State and prove Bessel's formula
17	State and prove Gauss Backward formula



### **Department of Physics**

Program: B.Sc. (Non - Medical) (PHY-502)

### **SCHEME**

Course Name	Quantum Mechanics		Course Type	Theory
<b>Course Code</b>	PHY-502		Class	B.Sc. V Sem.
Instruction Delivery	Per week Lectures: 2, Tutor Total No. Classes Per Sem: 7 Assessment in Weight-age: S	ial:0, Practical: -4 72(L) 24(T), -(P) 48 Sessional (30%), End T	Ferm Exams (70%)	
Course	Dr. Savita Devi Course Instructors Theory: Ms. Jyoti			
Coordinator			Practical:Ms. Jyoti	

#### **COURSE OVERVIEW**

Quantum Mechanics is the study of physics that explains how very small objects can have the characteristics of both waves and particle simultaneously. It's a probabilistic field that emphasizes wave -particle duality and acknowledges that precise predictions and impossible.

#### PREREQUISITE

Calculus, Linear algebra, and basic of classical mechanics.

#### **COURSE OBJECTIVE**

The objective of this course is to learn application of schrodinger wave equation,

#### **COURSE OUTCOMES (COs)**

After the completion of the course, the student will be able to:

CO No.	Course Outcomes
1	To understand how to interpret wave functions and apply operators to them to learn about a particle properties.
2	Learning how to apply quantum mechanics to calculates observables for known wave functions.
3	Learning about different theories of atomic models and quantum numbers.
4	Learning about how classical physics fails at the microscopic level.



#### CONTENT

#### Content

Failure of (Classical) E.M Theory of radiation(old quantum theory),Photon, Photoelectric effect and Einstein's photoelectric equation, Compton effect(Theory and Result). Inadequacy of old quantum theory,de Broglie hypothesis. Davison and Germ-er Experiment. G.P Thomson experiment. Phase velocity,Group velocity,Heisenberg uncertainty principle. Time -Energy and angular momentum,position uncertainty. Uncertainty principle from de- broglie wave,(wave particle duality). Gamma ray Microscope,Electron diffraction from a slit.

Derivation of time dependent Schrödinger wave equation, Eigen values, Eigen functions, wave functions and its significance .Normalisation of wave function, concept of observable and operator. Solution of Schrödinger equation for harmonic oscillator ground state and excited state.

Application of Schrödinger equation in the solution of the following one dimensional problem; Free particle in one dimensional box(solution of Schrödinger wave equation, eigen functions, eigen values, quantization of energy and momentum, nodes, anti nodes and anti nodes, zero potential energy).

(i) One dimensional potential barrier  $E>V_0$  (Reflection and transmission coefficient)

(ii) One dimensional potential barrier ,E>V<sub>0</sub> (Reflection Coefficient , penetration coefficient , penetration depth).

#### LESSON PLAN (THEORY AND TUTORIAL CLASSES)

L. No	Topic to be Delivered	Tutorial Plan	Unit
1	Failure of classical(e.m)theory	Explanation	
	and quantum theory of		
	radiation(old quantum theory)		1
	And inadequacy of old quantum		
	theory		
2	Photoelectric effect and Einstein	Derivation and Diagram	
	photoelectric equation.	explanation	
3	Compton effect	Theory, derivation, Result	



4		Diagram explanation, Theory	
		,derivation	
	Davison and Germ-er		
	experiment		
5			
		Diagram explanation Theory	
	CP THOMSON experiment	derivation	
	OF THOMSON experiment	,uerivation	

6	Phase velocity and group	Explanation and derivation	
7	Velocity		
	Heisenberg Uncertainty Principle	Explanation	2
		Theory	
8	Time energy and Angular momentum.	Derivation and Theory	
9		5	
	Uncertainty principle from debroglie wave (wave particle duality)		
10	Gamma ray microscope	Explanation ,Expression	
11	Electron diffraction from a slit	Explanation, Derivation	
12	Derivation of time dependent Schrondier wave equation	Derivation	3
13		Explanation	
	Eigen values ,eigen functions,		
14	Wave function and its significance	Theory	
15	Normalisation of wave function	Theory and Explanation	
16	Concept of observable and operator	State and Explanation	
17	Solution of Schrondinger equation for harmonic oscillator ground states and excited state	Theory and Derivation	
18		Practice the questions on	
	Revision	Schroedinger equations	
19	Application of Schrödinger equation in the solution of the following one dimensional	Theory	4
	problems		·
20	Free particle in one	Theory and Derivation	



	dimensional box(solution of schrodinger wave equation)	
21	Eigen values, Eigen function	Explanation
22	Quantisation of energy and	Theory and explanation
	momentum,	

23	Nodes and Antinodes	Derivation	
24	Zero point energy		
25	One dimensional potential		
	barrier $E > V_0$ (Reflection and		
	Transmission cofficient)		
26	One dimensional potential		
	barrier $E > V_0$ (Reflection	Theory and Derivation	
	cofficient ,Penetration of		
	leakage cofficient ,Penettration		
	depth		
27	Revision		
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### **Text Book**

Quantum Mechanics by Dr. J.M.Sehgal

Quantum Mechanics by Dr. S.K. Bansal

#### **Reference Books**

- ". Quantum Mechanics Prentice Hall,1951
- Quantum Mechanics by W.A Benjamin In,1964

#### Web/Links for e-content

□ https://youtu.be/ZHAqd4FzdpE?si=Gou822L8Mg-j8ud-

https://youtu.be/p9Oux5hS\_xU?si=rmh4oJ9q2yxgcYuk

https://youtu.be/mvI9Whpq5ao?si=BHCI\_wQGBTfcleU-PRACTICE QUESTIONS (QUESTION BANK)



S No	Problem
1	Write short note on (i) Old Quantum Theory.
	(ii) Gamma Ray Microscope
2	Derive phase and group velocity and derive equation for their derivation.
3	What is Photoelectric effect? Derive Einstein Photoelectric equation ?
4	Calculate de broglie wavelength of neutron of energy 28.8 eV.
5	Write limitations of old quantum theory.
6	State laws of Photoelectric equation.
7	Derive Schrödinger wave equation for linear harmonic oscillator and find expression for the energy level of oscillator?
8	Derive both time independent and time dependent Schrödinger equation for non -relativistic free particle.
9	An electron is confined to a box of length 10 <sup>-8</sup> m.Calculate minimum uncertainty in its velocity.
10	Define eigen values and eigen functions?
11	Write short note on Orthogonality of wave functions?
12	What do you mean by Potential barrier?
13	Solve Schrodinger's wave equation for a particle in one dimension potential barrier when E>V <sub>0</sub> .Calculate Transmission and reflection co efficient.
14	Explain nodes and anti nodes?
15	Find the values of momentum for an electron in one dimensional box of length $0.5 \text{ A}^{\text{O}}$ . for the first three levels.
16	What is operator ? Explain with examples.
17	Explain the terms Probability current density?



18.	Calculate Reflection and Transmission coefficient of a particle through a one dimensional rectangular potential barrier?
19	Explain significance of wave function?
20	Define Quantum Mechanical Tunnelling?
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